

Title Liquid Layer Lab

Name, Date, Lab partner

Introduction:

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Sep 13-8:26 AM

Methods and Materials

Materials:

1 x 25 mL graduated

4 x 10 mL graduated

Substances: Glycerol 5 mL

" Corn Oil 5 mL

Methods:

1. Measured 5 mL of glycerol, corn oil,

2.

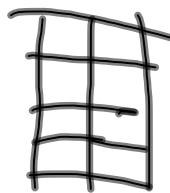
3.

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→ Results:



Data
↓



→ Conclusion:

Write out your final concept
of how, why lab results
occurred

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Summary:

1-2 sentences summarizing
the lab

Sep 13-9:07 AM

2.1 Units + Measurements

Review vocab: mass - the amount of matter and how much space it takes up

Main idea: chemists use internationally recognized systems of units to communicate their findings

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I. Units

A. International System of Units (SI units)

1. System was developed so units of measurement could be communicated on a universal scale

II Base Units and SI prefixes

A. seven base units in SI

- B. A Base unit is defined as a unit in a system of measurement that is based on an object or event in the physical world

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Table 1

Quantity	Base Unit
Time	seconds
Length	meter (m)
Mass	kilo (kg)
Temperature	Kelvin (K)
Amount of Substance	mole (mol)
Electrical current	Ampere (A)
Luminosity	candela (cd)

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Prefix	Symbol	Numerical Value	10^x
Giga	G	1,000,000,000	10^9
Mega	M	1,000,000	10^6
Kilo	K	1,000	10^3
-	-	1	10^0
deci	d	0.1	10^{-1}
centi	cm	0.01	10^{-2}
Milli	m	0.001	10^{-3}
Micro	μ μ	0.000001	10^{-6}
nano	n	0.000000001	10^{-9}
Pico	P	0.000000000001	10^{-12}

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E. Fahrenheit vs. Celsius

$$1. ^\circ\text{F} = 1.8(^{\circ}\text{C}) + 32$$

$$a. 35^{\circ}\text{F} \rightarrow ^{\circ}\text{C}$$

$$\frac{35^{\circ}\text{F} - 32}{1.8} = 1.7^{\circ}\text{C}$$

F. Kelvin to Celsius conversion

$$1. \text{K} = ^{\circ}\text{C} + 273$$

III Derived units

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A. A unit is defined by a combination of base units, this is called a derived unit

$$1. \text{volume (cm}^3\text{)} \rightarrow \text{density (g/cm}^3\text{)}$$

B. Volume - the space occupied by an object

$$1. \text{volume (for a rectangle/cube) is generally } \text{length} \times \text{height} \times \text{width} = \text{m}^3$$

2. Figure 6 in Book

$$a. 1\text{mL} = 1\text{cm}^3$$

$$b. 1\text{L} = 1000\text{ mL}$$

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C. Density - a physical property of matter and as the amount of mass per unit volume

1. common units of density are grams per cubic centimeter (g/cm^3) for solids and grams per milliliter (g/mL) for liquids + gases

2. The density of a substance cannot be measured directly

a. Density is calculated using mass + volume measurements

* 3. Density equation: $\frac{\text{mass}}{\text{volume}}$

..

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a. example: volume = 5.0 cm^3
mass = 13.5 g

$$\text{Density} = \frac{13.5 \text{ g}}{5.0 \text{ cm}^3} = 2.7 \text{ g/cm}^3$$

2. Earth Science example: Weather is

☆
possible
essay

Created by moving air masses of different densities

End of 2.1, Review problems: Sec 2.1

14-18, 20

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Results	A	B	C	D	E	F	G	H	I	J
Mass(g)										
Volume mL										
Density g/mL→	.	.	.							

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$$1.4937\text{ g} + 1.2\text{ g} =$$

round
↓

$$1.6937\text{ g}$$
$$1.7\text{ g}$$

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2.2. Scientific Notation

Main idea → Scientists often express #s in Scientific notation and solve problems using dimensional analysis

I. Scientific Notation—used to express any number as a number between 1 and 10 multiplied by 10 raised to a power (ex: 1.4×10^{-3})

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a) $(2 \times 10^3) \times (3 \times 10^2)$

multiply {

- 1) multiply the coefficients
 $2 \times 3 = 6$
- 2) add exponents $10^3 + 10^2 = 10^5$
- 3) (6×10^5)

b) $(9 \times 10^8 \div) (3 \times 10^{-4})$

division {

- 1) divide coefficients $\rightarrow 9/3 = 3$
- 2) $8 - (-4) = 12$ subtract exponents
- 3) (3×10^{12})

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II Dimensional Analysis – a systematic approach to problem solving that uses conversion factors to move, or convert from one unit to another

A. Conversion Factor: a ratio of equivalent values that have different units

1. Multiplying a quantity by a conversion factor changes the units of the quantity without changing its value
 - a. %s can also be used as conversion factors

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2. A conversion factor used in dimensional analysis must accomplish two things:

- a) must cancel 1 unit
- b) and introduce a unit

$$\rightarrow \frac{1 \text{ km}}{1000 \text{ m}} \text{ and } \frac{1000 \text{ m}}{1 \text{ km}}$$

example $48 \text{ km} \rightarrow \text{m}$

$$48 \text{ km} \times \left(\frac{1000 \text{ m}}{1 \text{ km}} \right) = 48,000 \text{ m}$$

g/mL
m/s \rightarrow km/hr

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1 Solve $(2 \times 10^7) \times (2 \times 10^3)$

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2 Solve $(8 \times 10^9) / (2 \times 10^2)$

Coefficient $8/2$

exponents = Subtract $9-2$
(division)

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3 Express number in scientific notation $(3 \times 10^{-11}) + (4 \times 10^{-11})$

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4 Convert 60 s to Ms

$$(60 \times 10^{-6}) \rightarrow 10^6$$

$$60 \cancel{s} \times \frac{1 \text{ Ms}}{1,000,000 \cancel{s}} = 0.00006 \text{ Ms}$$

$$60 \mu s \rightarrow \text{Ms}$$

$$\frac{1}{\text{.000001}} \times 60 \cancel{\mu s} \times \frac{1 \cancel{s}}{1,000,000} \times 1 \frac{\text{Ms}}{\text{.}} = \text{Ms}$$

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5 Convert 5200 mg to kg

$$5200 \text{ mg} \times \left(\frac{1 \text{ g}}{1000 \text{ mg}} \right) \times \frac{1 \text{ kg}}{1000 \text{ g}} = 0.0052$$

$$5.2 \times 10^{-3}$$

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6 Convert $7.100 \times 10^3 \text{ cm}$ to km

(~~7.997~~) 7.998 (~~7.999~~) → 8000

$$7100 \text{ cm} \times \frac{1 \text{ m}}{100 \text{ cm}} \times \frac{1 \text{ km}}{1000 \text{ m}}$$

$$\begin{array}{l} .071 \\ \hline 7.1 \times 10^{-2} \text{ km} \end{array}$$

$$7.100 \times 10^{-2}$$

$$\begin{array}{l} 4.445 \times 10^{-3} \\ + 8.934 \times 10^{-6} \end{array}$$

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7 Convert 68 g to pg

$$68 \text{ g} \times \frac{1,000,000,000 \text{ pg}}{1 \text{ g}}$$

10^{-12}
 $\cdot 000000$
 10^{12}

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2.3. Uncertainty in Data

I. Percent Error Equation =

$$\text{Error} \rightarrow \frac{|AV - EV|}{AV} \times 100$$

A. EV = Experimental Value are values measured during an experiment

B. AV = accepted value = known value

C. Error = AV - EV

Oct 2-8:14 AM

II Significant Figures (Sig Figs)

A. Rules 1-5

1. non zeros are always significant

ex: $72.3 = 3 \text{ sig figs}$

2. All final zeros to the right of the decimal are significant | $\underline{6.20}$ | = 3 sig figs

3. Any zero between sig figs is significant

ex: $60.5 = 3 \text{ sig figs}$

4. Placeholder zeros are not significant

→ to rewrite the number w/out placeholder zeros, put the number in scientific notation. $0.0253 \rightarrow 2.53 \times 10^{-2}$

ex: $4320 = 3 \text{ sig figs} = 3 \text{ sig figs}$

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5. Counting numbers and defined constants have an infinite number of sig figs

ex: 6 molecules, $60s = 1m$

1730 molecules

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III Rounding Numbers

A. Numbers need to be rounded according to significant figures

B. Rules 1-4 for rounding

1. If digit is to right of the last sig fig is less than 5, do not change (round)

ex: $2.532 \rightarrow 2.53$

2. If digit to the right of last sig fig is greater than 5, round up last sig fig

ex: $2.536 \rightarrow 2.54$

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3. If the digit to the right of the last sig fig are a 5 followed by a non zero digit, round up the last sig fig

ex: $2.5351 \rightarrow 2.54$

4. If the digits to the right of the last sig fig are a 5 followed by 0

odd ex:

$2.5350 \rightarrow 2.54$

even ex:

$2.5250 \rightarrow 2.52$

or no others at all, look at the last sig. fig. If it is odd round up, even do not round up

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C. Addition + Subtraction

1. When you add or subtract measurements, the answer must have the same # of digits to the right of the decimal as the original value having the fewest #s of digits to the right of the decimal

$$\begin{array}{r}
 \rightarrow 28.0 \text{ cm} \\
 23.528 \text{ cm} \\
 \hline
 25.68 \text{ cm} \\
 \hline
 77.208 \rightarrow 77.2 \text{ cm}
 \end{array}$$

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D. Multiplication + Division

1. When you multiply or divide, the answer must have the same # of sig figs as the measurement with the fewest sig figs

Section
2.3

→ practice problems 40-41

HW → 45-51

Volume = $l \times w \times h$

$$\text{volume} = 28.3 \text{ cm} \times 22.2 \text{ cm} \times 3.65 \text{ cm}$$

$$\rightarrow 2293.149 \text{ cm}^3 \rightarrow 3 \text{ sig figs} \rightarrow 2290 \text{ cm}^3$$

Oct 4-8:42 AM

2.4 Representing Data

I. Graphing

A. Using a graph to help assess data can help reveal patterns in data

B. Graph - a visual display of data

1. Circle (or Pie Graph/Chart) Graph - useful for showing parts of a fixed whole
a. quantities are generally expressed as %

2. Bar Graph - used to show how a quantity varies across categories
→ a. dependent variable on y-axis, independent variable on x-axis

Oct 5-8:13 AM

3. Line graph - popular in chemistry, points on a line graph represent the intersection of data pts.

a. depend. on y-axis + independ. on x-axis var.

b. line of best fit - straight line that connects the most data points, or that has as many data points above the line as below

C. Slope of a Graph

1. Slope = $\frac{\Delta y}{\Delta x} = \text{rise/run} \rightarrow \frac{y_2 - y_1}{x_2 - x_1}$



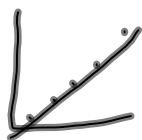
negative slope



positive slope

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D. Interpreting Graphs - how does the depend. + indepen. variable compare



1. If points on a line graph are connected, data is said to be continuous

a. interpolate - reading a value from the line of best fit between recorded data points

b. extrapolate - estimating values beyond line of best fit (lbf) based on direction of lbf + data points

→ Chapter Review Problems
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#s 66-69, 75-79, 91-94, 97-98

Oct 9-8:47 AM